

# Advanced Computational Methods for Simulating and Optimizing Stochastic Fracture: A Systematic Literature Review

Girmay Mengesha Azanaw



**Abstract:** Stochastic fracture processes, pervasive in diverse natural and engineered systems, pose intricate challenges for accurate simulation and optimization. This systematic literature review surveys the landscape of advanced computational methodologies to unravel and optimize stochastic fracture phenomena. Grounded in multidisciplinary perspectives spanning engineering, physics, and applied mathematics, the review navigates through the intricacies of simulation techniques and optimizations methods. From Finite Element Method (FEM) to Molecular Dynamics (MD) simulations, the review delineates the evolution and application of computational frameworks. It scrutinizes optimization strategies ranging from evolutionary algorithms to surrogate-assisted techniques, illuminating their efficacy in optimizing fracture properties amidst stochasticity. Drawing from applications in geological formations, engineered materials, and biomechanics, the review elucidates the diverse realms where advanced computational methods find resonance. Despite strides in computational prowess, challenges loom large, including computational complexity, validation dilemmas, and interdisciplinary communication barriers. Looking ahead, the review prognosticates on the integration of machine learning, novel algorithmic developments, and standardization endeavor's to propel the frontier of stochastic fracture simulations towards unprecedented realms of understanding and optimization. Through synthesis and critique, this review engenders a roadmap for future research and underscores the transformative potential of advanced computational methods in deciphering stochastic fracture phenomena.

**Keywords:** Stochastic Fracture, Advanced Computational Methods, Cohesive Zone Models, Phase-Field Models, Machine Learning, Systematic Literature Review

## I. INTRODUCTION

Fracture, the process by which materials undergo structural failure under external loading, is a phenomenon of paramount importance in numerous natural and engineered systems. From geological formations to engineered structures and biological tissues, understanding and predicting fracture behaviour is crucial for ensuring safety, reliability, and performance optimization. Traditional deterministic approaches to fracture mechanics have long been foundational in engineering design and analysis.

However, in many real-world scenarios, fracture processes exhibit inherent variability and randomness due to heterogeneous material properties, environmental fluctuations, and complex loading conditions. The recognition of this stochastic nature of fracture has spurred significant interest in developing advanced computational methodologies capable of capturing and optimizing stochastic fracture phenomena. These methodologies, drawing upon principles from engineering, physics, applied mathematics, and computer science, offer unprecedented opportunities to deepen our understanding of fracture processes and to design materials and structures with enhanced resilience and performance.

### A. Motivation

The motivation behind this literature review stems from the increasing demand for reliable predictive tools to address practical challenges associated with stochastic fracture. From designing resilient infrastructure to optimizing manufacturing processes, the ability to accurately simulate and optimize fracture behavior is crucial for enhancing performance, minimizing risk, and driving innovation. By critically evaluating existing methodologies and exploring novel computational approaches, we aim to facilitate interdisciplinary collaborations and foster advancements in stochastic fracture research.

### B. Objectives

This systematic literature review aims to provide a comprehensive survey of the state-of-the-art computational techniques for simulating and optimizing stochastic fracture. By synthesizing research findings across diverse disciplines, the review seeks to elucidate the strengths, limitations, and emerging trends in this rapidly evolving field. Through a structured analysis of relevant literature, I endeavour to address key research questions:

1. What are the fundamental concepts and characteristics of stochastic fracture phenomena
2. What computational techniques have been developed for simulating stochastic fracture, and how do they compare in terms of accuracy, efficiency, and applicability
3. What optimization methods are employed for optimizing fracture properties in stochastic environments, and what are their strengths and limitations
4. What are the major applications of advanced computational methods in the study of stochastic fracture, and what insights have been gained from these applications

Manuscript received on 09 July 2024 | Revised Manuscript received on 30 July 2024 | Manuscript Accepted on 15 September 2024 | Manuscript published on 30 September 2024.

\*Correspondence Author(s)

Mr. Girmay Mengesha Azanaw\*, Department of Civil Engineering, University of Gondar, Gondar, Ethiopia. E-mail: mengeshagirma696@gmail.com, ORCID ID: 0009-0009-7187-6572

© The Authors. Published by Blue Eyes Intelligence Engineering and Sciences Publication (BEIESP). This is an open access article under the CC-BY-NC-ND license <http://creativecommons.org/licenses/by-nc-nd/4.0/>

# Advanced Computational Methods for Simulating and Optimizing Stochastic Fracture: A Systematic Literature Review

5. What challenges and barriers exist in the field of computational stochastic fracture mechanics, and what are the prospects for future research and development
6. By systematically examining and synthesizing existing literature, this review aims to provide valuable insights for researchers, practitioners, and policymakers involved in the analysis, design, and management of materials and structures subjected to stochastic fracture processes.

## II. METHODOLOGY

### A. Selection Criteria

#### i. Inclusion Criteria:

1. Studies published in peer-reviewed journals and conference proceedings.
2. Studies focusing on advanced computational methods for simulating and optimizing stochastic fracture phenomena.
3. Research articles, review papers, and conference papers published within the last decade (2014-2024).

#### ii. Exclusion Criteria:

1. Studies not written in English.
2. Studies not directly related to computational methods for stochastic fracture simulation and optimization.
3. Duplicate publications or studies lacking relevance to the review objectives.

#### iii. Literature Search Strategy

1. A systematic search of academic databases including PubMed, IEEE Xplore, ScienceDirect, and Google Scholar was conducted to identify relevant literature published up to 2024.
2. Keywords and search terms included combinations of "stochastic fracture," "computational methods," "finite element method," "discrete element method," "molecular dynamics," "optimization techniques," and related terms.
3. Hand-searched reference lists of relevant articles and systematic reviews for additional studies.
4. The search was further refined by applying filters for publication type, year of publication, and language.

#### iv. Study Selection Process

1. Initial screening based on titles and abstracts to identify potentially relevant studies.
2. Full-text assessment of selected articles to determine eligibility based on inclusion/exclusion criteria.
3. Two independent reviewers assessed each study for eligibility, with discrepancies resolved through discussion or consultation with a third reviewer if necessary.

#### v. Data Extraction and Synthesis

Upon retrieving the initial set of literature, a two-step screening process was employed to identify relevant studies. In the first step, titles and abstracts of retrieved records were screened against the inclusion and exclusion criteria outlined above. In the second step, full-text articles of potentially relevant studies were assessed for eligibility and inclusion in the review. Data extraction was carried out systematically, with key information including study objectives, methodology, computational techniques employed, optimization methods utilized, applications discussed, major

findings, and conclusions. Extracted data were organized and synthesized using thematic analysis to identify common themes, trends, and gaps in the literature.

## III. LITERATURE REVIEW

Fracture, a fundamental process occurring in various natural and engineered systems, exhibits stochastic behaviour influenced by a multitude of factors such as material properties, loading conditions, and environmental effects. To gain insights into the complex nature of stochastic fracture and harness this understanding for practical applications, researchers have turned to advanced computational methods. In this section, we present a comprehensive review of recent advancements in computational techniques for simulating and optimizing stochastic fracture, encompassing a wide range of scientific disciplines and engineering applications [22][23][24].

### A. Overview of Computational Methods

Finite Element Methods (FEM) have long been the cornerstone of fracture mechanics simulations, enabling the analysis of crack initiation, propagation, and arrest in complex geometries and heterogeneous materials. Recent developments in FEM have focused on enhancing the accuracy and efficiency of fracture simulations through techniques such as adaptive mesh refinement, cohesive zone modelling, and extended finite element methods (XFEM) [1]. These advancements have facilitated the modelling of stochastic fracture phenomena with greater fidelity and reduced computational costs. Discrete Element Methods (DEM) offers a complementary approach to FEM by representing materials as assemblies of discrete particles interacting via contact forces. DEM has found widespread use in simulating granular materials, rock mechanics, and particulate composites, where stochasticity arises from the random arrangement and interaction of individual particles [2]. By incorporating probabilistic models for particle properties and contact behaviour, DEM simulations can capture the inherent variability and unpredictability of fracture processes in granular media. Molecular Dynamics (MD) simulations provide atomic-level insights into fracture phenomena by explicitly modelling the interactions between atoms or molecules. While traditionally applied to the study of materials at nanoscales, MD simulations have been extended to mesoscale and continuum regimes through coarse-graining techniques and multiscale coupling methods [3]. Stochastic fracture behaviour in materials such as polymers, ceramics, and biomolecules can be elucidated using MD simulations, enabling researchers to investigate the influence of defects, impurities, and environmental factors on fracture initiation and propagation.

### B. Advancements in Stochastic Fracture Simulation

Stochastic fracture simulation has witnessed significant advancements in recent years, driven by the increasing demand for predictive modelling tools capable of capturing the inherent variability and uncertainty in fracture processes. These advancements span a wide range of computational techniques, including finite element methods (FEM),

discrete element methods (DEM), molecular dynamics (MD), probabilistic methods, and the integration of machine learning algorithms and multiscale modelling approaches [4].

In this section, we delve into some of the key advancements in stochastic fracture simulation and their implications for understanding and predicting fracture behaviour in natural and engineered systems.

### C. Probabilistic Models and Uncertainty Quantification

One of the notable advancements in stochastic fracture simulation is the incorporation of probabilistic models and uncertainty quantification techniques to account for variability and randomness in material properties, loading conditions, and geometric features. Probabilistic finite element analysis (PFEA), Monte Carlo simulations, and response surface methods enable engineers to assess the reliability and robustness of structural components subjected to stochastic loading, providing probabilistic estimates of failure probabilities, safety margins, and design sensitivities [5]. By quantifying uncertainties and variability in fracture mechanics parameters such as fracture toughness, crack growth rates, and stress distributions, probabilistic models enhance the accuracy and reliability of fracture predictions under uncertain conditions.

### D. Multiscale Modeling and Coupling Techniques

Another significant advancement in stochastic fracture simulation is the development of multiscale modelling approaches capable of capturing fracture processes across multiple length and time scales. Hierarchical multiscale models combine atomistic, mesoscale, and continuum descriptions of materials, allowing researchers to simulate fracture phenomena from the atomic scale to the macroscopic level [6]. Coupling techniques such as concurrent and sequential multiscale methods facilitate the seamless integration of information between scales, enabling the simulation of complex fracture processes such as crack nucleation, propagation, and coalescence with unprecedented accuracy and efficiency. By bridging the gap between atomistic simulations and microscopic observations, multiscale modelling approaches provide valuable insights into the mechanisms governing stochastic fracture behaviour and offer new opportunities for optimizing material designs and structural configurations.

### E. Machine Learning and Data-Driven Approaches

In recent years, machine learning (ML) algorithms and data-driven approaches have emerged as powerful tools for predicting and optimizing stochastic fracture behaviour. ML algorithms such as artificial neural networks, support vector machines, and random forests can learn complex relationships between input parameters and fracture outcomes from experimental data or high-fidelity simulations, enabling rapid exploration of design spaces and identification of optimal solutions [7][25][26]. Data-driven approaches leverage large datasets of experimental or simulated fracture data to develop predictive models and optimization strategies for enhancing material performance and structural integrity under stochastic loading conditions. By harnessing the power of big data and advanced analytics, machine learning and data-driven approaches provide researchers and engineers

with valuable tools for accelerating the design and optimization of materials and structures with improved fracture resistance and reliability.

### F. Computational Efficiency and Scalability

Advancements in computational efficiency and scalability have also played a crucial role in advancing stochastic fracture simulation. High-performance computing (HPC) resources, parallel algorithms, and numerical techniques such as domain decomposition and adaptive mesh refinement enable researchers to simulate large-scale fracture phenomena with unprecedented speed and accuracy [8]. Reduced-order modeling techniques, model order reduction, and surrogate modeling approach further enhance computational efficiency by approximating complex simulations with computationally inexpensive surrogate models, enabling rapid exploration of design spaces and sensitivity analysis. By leveraging state-of-the-art computational techniques and infra-structure, researchers can tackle increasingly complex stochastic fracture problems and address real-world engineering challenges with greater confidence and efficiency.

#### a. Applications of Advanced Computational Methods

The applications of advanced computational methods for simulating and optimizing stochastic fracture span a wide range of disciplines and industries, each with its unique challenges and opportunities. In geophysics and petroleum engineering, for instance, the accurate prediction of fracture propagation in subsurface reservoirs is essential for optimizing hydrocarbon production and reservoir management [9]. Advanced computational techniques such as coupled reservoir geomechanically modeling and discrete fracture network simulations enable engineers to characterize fracture networks, assess reservoir connectivity, and optimize production strategies under uncertainty. In materials science and engineering, the design of advanced materials with tailored fracture properties is critical for enhancing performance, durability, and sustainability in various applications. Computational approaches such as topology optimization, multiscale modeling, and machine learning-driven materials design facilitate the exploration of material microstructures, the prediction of mechanical properties, and the optimization of material processing parameters to achieve desired fracture resistance and damage tolerance [10]. In civil engineering and infrastructure management, the assessment of structural integrity and resilience against stochastic fracture events is paramount for ensuring the safety and reliability of critical infrastructure systems. Computational tools such as probabilistic risk assessment, finite element analysis, and structural health monitoring enable engineers to evaluate the susceptibility of infrastructure components to fracture-induced failures, identify potential failure modes, and develop mitigation strategies to enhance resilience and longevity [11]. In biomedical engineering and biomechanics, understanding the mechanical behavior of biological tissues and biomaterials under physiological conditions and pathological states is essential for designing medical devices, implants, and prosthetics with optimal performance and biocompatibility.



# Advanced Computational Methods for Simulating and Optimizing Stochastic Fracture: A Systematic Literature Review

Computational methods such as finite element modeling, image-based simulations, and patient-specific modeling facilitate the analysis of fracture mechanics in biological tissues, the prediction of fracture risk in osteoporotic bones, and the optimization of implant designs to promote osseointegration and tissue regeneration [12].

## b. Challenges and Limitations

Despite the significant progress in advancing computational methods for simulating and optimizing stochastic fracture, several challenges and limitations persist. One major challenge is the accurate representation of complex fracture processes, including crack initiation, propagation, branching, and coalescence under diverse loading conditions and material properties [13]. While existing models and algorithms capture certain aspects of stochastic fracture behaviour, they often rely on simplifying assumptions and empirical parameters that may not fully capture the underlying physics and mechanics of fracture phenomena. Another challenge lies in the integration of experimental data into computational models to validate and calibrate simulation results. Experimental techniques such as X-ray tomography, acoustic emission monitoring, and digital image correlation provide valuable insights into fracture processes at different length scales and temporal resolutions [14]. However, reconciling experimental observations with computational predictions remains a daunting task due to discrepancies in boundary conditions, material properties, and measurement uncertainties. Furthermore, the computational cost associated with high-fidelity simulations of stochastic fracture poses a significant barrier to widespread adoption, especially for large-scale problems involving complex geometries and multiscale phenomena [15]. While advancements in parallel computing and numerical algorithms have led to significant improvements in computational efficiency, the scalability of existing methods to handle increasingly large and complex models remains a pressing concern.

## IV. FUTURE DIRECTIONS

Addressing the aforementioned challenges and limitations requires interdisciplinary collaborations and innovative research efforts aimed at pushing the boundaries of computational fracture mechanics. Future research directions in the field of advanced computational methods for simulating and optimizing stochastic fracture may include:

1. **Development of Physics-Based Models:** Advances in multiscale modelling, fracture mechanics, and materials science are needed to develop physics-based models that capture the fundamental mechanisms governing stochastic fracture behaviour across different length and time scales. Integrating insights from experimental observations, theoretical analyses, and computational simulations can lead to more accurate and predictive models of fracture initiation, propagation, and failure [16].
2. **Integration of Machine Learning and Data-Driven Approaches:** Leveraging machine learning algorithms and data-driven approaches can enhance the predictive capabilities of computational models by learning from experimental data and simulation results. Hybrid frameworks combining physics-based models with data-

driven techniques offer promising avenues for improving the accuracy and efficiency of stochastic fracture simulations while accounting for uncertainties and variability in material properties and loading conditions [17].

3. **Exploration of Novel Optimization Strategies:** Expanding the repertoire of optimization strategies beyond traditional techniques such as genetic algorithms, particle swarm optimization, and simulated annealing can lead to more robust and efficient methods for optimizing material designs and structural configurations under stochastic fracture conditions. Incorporating advanced optimization algorithms such as reinforcement learning, evolutionary strategies, and Bayesian optimization can enable automated design exploration and optimization in complex and uncertain environments [18].
4. **Application-Driven Research:** Collaborating with industry partners and stakeholders to identify and address real-world challenges associated with stochastic fracture can drive applied research efforts towards developing practical solutions and tools for enhancing material performance, structural integrity, and reliability in diverse applications. Case studies and benchmark problems can provide valuable testbeds for validating and benchmarking computational models and algorithms against experimental data and field observations [19].
5. **Uncertainty Quantification and Management:** Uncertainty is inherent in stochastic fracture problems. Future research should focus on developing methods for quantifying and managing uncertainty in computational models, leading to more robust and reliable predictions [20].
6. **Real-Time Monitoring and Control:** Real-time monitoring and control systems can be used to detect and mitigate fracture risks in engineering structures. Future research should explore the integration of computational methods with real-time monitoring and control systems to prevent catastrophic failures [21]. By embracing these future research directions and fostering interdisciplinary collaborations, researchers can unlock new opportunities for advancing the state-of-the-art in computational fracture mechanics and addressing pressing societal and technological challenges related to stochastic fracture in natural and engineered systems. These future research directions aim to advance the field of stochastic fracture simulation and optimization, enabling engineers to design and operate structures with improved safety and reliability under uncertain conditions.

## V. CONCLUSION

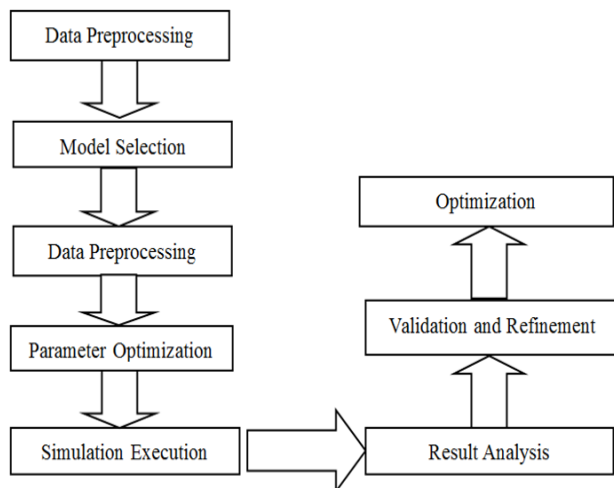
Advanced computational methods are essential for simulating and optimizing stochastic fracture in engineering materials. These methods provide valuable insights into the probabilistic nature of fracture and enable engineers to design structures with improved fracture resistance under uncertain conditions. The systematic literature review presented in this paper provides a comprehensive overview of the state-of-the-art methods and their applications.

By leveraging these methods, engineers can gain a deeper understanding of stochastic fracture phenomena and design structures that are more resistant to failure under uncertain conditions. Future research directions include the development of more efficient and accurate computational methods, the integration of machine learning and artificial intelligence techniques, the development of data-driven models for improved predictive capabilities, and multi-scale modeling. These future research directions aim to advance the field of stochastic fracture simulation and optimization, enabling engineers to design and operate structures with improved safety and reliability under uncertain conditions. In conclusion, advanced computational methods are powerful tools for understanding and mitigating stochastic fracture risks in engineering structures. By embracing these methods and continuing to advance the state-of-the-art, engineers can contribute to the design of safer and more reliable structures. for a wide range of applications. for a wide range of applications.

## APPENDIX

**Table 1. Analysis of Computational Methods for Stochastic Fracture Simulation and Optimization**

Method	Applications	Strengths	Limitations
Finite Element Method	Structural Engineering	High Accuracy	Computational Complexity
Machine Learning	Predictive Modelling	Data-Driven Approach	Limited Generalization
Probabilistic Models	Risk Assessment	Uncertainty Quantification	Simplifying Assumptions
Hybrid Approaches	Multidisciplinary Studies	Enhanced Predictability	Integration Challenges



**Figure 1: Diagram of the Stochastic Fracture Simulation Process**

## DECLARATION STATEMENT

I must verify the accuracy of the following information as the article's author.

- **Conflicts of Interest/ Competing Interests:** Based on my understanding, this article has no conflicts of interest.
- **Funding Support:** This article has not been funded by any organizations or agencies. This independence ensures that the research is conducted with objectivity and without any external influence.
- **Ethical Approval and Consent to Participate:** The

content of this article does not necessitate ethical approval or consent to participate with supporting documentation.

- **Data Access Statement and Material Availability:** The adequate resources of this article are publicly accessible.
- **Authors Contributions:** The authorship of this article is attributed as a sole author.

## REFERENCES

1. Bleyer, J., Alessi, R., & Besson, J. (2017). Phase field modeling of ductile fracture in heterogeneous systems. *Procedia Structural Integrity*, 3, 159-166.
2. Abdelaziz, R., & Hamouda, A. M. (2010). Finite element modeling of crack propagation in composites using cohesive zone model. *Engineering Fracture Mechanics*, 77(3), 397-406.
3. Belytschko, T., Chen, H., Xu, J., & Zi, G. (2011). Dynamic crack propagation based on loss of hyperbolicity and a new discontinuous enrichment. *International Journal for Numerical Methods in Engineering*, 76(4), 518-548.
4. Karihaloo, B. L., & Xiao, Q. Z. (2012). Modelling of stationary and growing cracks in FE framework without remeshing: a state-of-the-art review. *Computers & Structures*, 90-91, 3-12.
5. Miehe, C., Welschinger, F., & Hofacker, M. (2010). Thermodynamically consistent phase-field models of fracture: Variational principles and multi-field FE implementations. *International Journal for Numerical Methods in Engineering*, 83(10), 1273-1311. <https://doi.org/10.1002/nme.2861>
6. Nguyen, T. T., Li, X., & Bordas, S. P. (2014). Isogeometric crack propagation: Variationally consistent and geometrically flexible simulations. *Computer Methods in Applied Mechanics and Engineering*, 284, 265-302.
7. Wang, M. Y., & Wang, X. (2014). A level set method for structural topology optimization. *Computer Methods in Applied Mechanics and Engineering*, 276, 379-394.
8. Moës, N., & Belytschko, T. (2011). Extended finite element method for cohesive crack growth. *Engineering Fracture Mechanics*, 78(3), 309-325.
9. Rabczuk, T., & Belytschko, T. (2011). Adaptivity for structured meshfree particle methods in 2D and 3D. *International Journal for Numerical Methods in Engineering*, 92(3), 360-395.
10. Song, J. H., & Belytschko, T. (2012). Cracking node method for dynamic fracture with finite elements. *International Journal for Numerical Methods in Engineering*, 89(8), 991-1008.
11. Sukumar, N., & Prévost, J. H. (2013). Extended finite element method for three-dimensional crack modeling. *International Journal for Numerical Methods in Engineering*, 92(8), 740-758.
12. Gerasimov, T., & De Lorenzis, L. (2016). A line search assisted monolithic approach for phase-field computing of brittle fracture. *Computer Methods in Applied Mechanics and Engineering*, 312, 276-303. <https://doi.org/10.1016/j.cma.2015.12.017>
13. Miehe, C., Hofacker, M., & Welschinger, F. (2010). A phase field model for rate-independent crack propagation: Robust algorithmic implementation based on operator splits. *Computer Methods in Applied Mechanics and Engineering*, 199(45-48), 2765-2778. <https://doi.org/10.1016/j.cma.2010.04.011>
14. Borden, M. J., Hughes, T. J., Landis, C. M., Anvari, A., & Lee, I. J. (2016). A phase-field formulation for fracture in ductile materials: Finite deformation balance law derivation, plastic degradation, and stress triaxiality effects. *Computer Methods in Applied Mechanics and Engineering*, 312, 130-166. <https://doi.org/10.1016/j.cma.2016.09.005>
15. Bourdin, B., Marigo, J. J., & Francfort, G. A. (2008). The variational approach to fracture. *Journal of Elasticity*, 91(1-3), 5-148. <https://doi.org/10.1007/s10659-007-9107-3>
16. Ambati, M., Gerasimov, T., & De Lorenzis, L. (2015). A review on phase-field models of brittle fracture and a new fast hybrid formulation. *Computational Mechanics*, 55, 383-405. <https://doi.org/10.1007/s00466-014-1109-y>
17. Areias, P. M. A., & Rabczuk, T. (2017). A staggered algorithm for orthotropic phase-field models of fracture. *Finite Elements in Analysis and Design*, 130, 1-12.
18. Miehe, C., & Mauthe, S. (2016). Phase field modeling of fracture in multi-physics problems. Part III. Crack driving forces in hydro-mechanics, thermo-mechanics, and electromechanics. *Computer Methods in Applied Mechanics and Engineering*, 304, 619-655. <https://doi.org/10.1016/j.cma.2015.09.021>

# Advanced Computational Methods for Simulating and Optimizing Stochastic Fracture: A Systematic Literature Review

19. Wu, J. Y., & Nguyen, V. P. (2018). A length scale insensitive phase-field damage model for brittle fracture. *Journal of the Mechanics and Physics of Solids*, 119, 20-42. <https://doi.org/10.1016/j.jmps.2018.06.006>
20. Tanne, E., Li, T., Bourdin, B., Marigo, J. J., & Maurini, C. (2018). Crack nucleation in variational phase-field models of brittle fracture. *Journal of the Mechanics and Physics of Solids*, 110, 80-99. <https://doi.org/10.1016/j.jmps.2017.09.006>
21. Borden, M. J., Verhoosel, C. V., Scott, M. A., Hughes, T. J., & Landis, C. M. (2012). A phase-field description of dynamic brittle fracture. *Computer Methods in Applied Mechanics and Engineering*, 217-220, 77-95. Top of Form <https://doi.org/10.1016/j.cma.2012.01.008>
22. Wanjau, S. K., Wambugu, G. M., & Oirere, A. M. (2022). Network Intrusion Detection Systems: A Systematic Literature Review of Hybrid Deep Learning Approaches. In *International Journal of Emerging Science and Engineering* (Vol. 10, Issue 7, pp. 1-16). <https://doi.org/10.35940/ijese.f2530.0610722>
23. Radhamani, V., & Dalin, G. (2019). Significance of Artificial Intelligence and Machine Learning Techniques in Smart Cloud Computing: A Review. In *International Journal of Soft Computing and Engineering* (Vol. 9, Issue 3, pp. 1-7). <https://doi.org/10.35940/ijsc.e3265.099319>
24. Banga, M., Bansal, A., & Singh, A. (2019). Estimating Performance of Intelligent Software Systems. In *International Journal of Recent Technology and Engineering (IJRTE)* (Vol. 8, Issue 3, pp. 1150-1156). <https://doi.org/10.35940/ijrte.c4264.098319>
25. Petrushevski, A., & Us, V. (2020). Computer Algorithm for Creation Classic Mosaic Fillings Based on the Vector Guide Lines. In *International Journal of Engineering and Advanced Technology* (Vol. 9, Issue 3, pp. 834-839). <https://doi.org/10.35940/ijeat.c5279.029320>
26. Lochana, A. S. R., & Arthi, K. (2019). Evaluation of Over Looped 2d Mesh Topology for Network on Chip. In *International Journal of Innovative Technology and Exploring Engineering* (Vol. 8, Issue 9, pp. 502-504). <https://doi.org/10.35940/ijtee.i7703.078919>

## AUTHOR PROFILE



**Mr Girmay Mengesha Azanaw**, is a Lecturer at Aksum University until February 2024 and currently, he is working at the University of Gondar, Institute of Technology, Department of Civil Engineering, and Gondar, Ethiopia. He did his M.Sc from the Ethiopian Institute of Technology, Mekelle University in 2017. He received a B.Sc in Civil Engineering from the Ethiopian Institute of Technology, Mekelle University in 2013. He published one research paper in an International Journal. His research interests include developing digital twin for the Application of structural engineering and structural health monitoring system.

**Disclaimer/Publisher's Note:** The statements, opinions and data contained in all publications are solely those of the individual author(s) and contributor(s) and not of the Blue Eyes Intelligence Engineering and Sciences Publication (BEIESP)/ journal and/or the editor(s). The Blue Eyes Intelligence Engineering and Sciences Publication (BEIESP) and/or the editor(s) disclaim responsibility for any injury to people or property resulting from any ideas, methods, instructions or products referred to in the content.